

MATHEMATICAL FINANCE AND DERIVATIVES (part II, PhD)

Lecturer: Prof. Dr. Marc CHESNEY

Location:

Time: Mon. 08:00 – 09:45

First lecture: 16.02.2009

Language: English

Contents:

- Stochastic volatility models and time changed Brownian motions
- Tanaka's Formula and applications to Finance
- Itô's formula and Girsanov theorem for jump-diffusion processes
- The pricing of options in presence of possible discontinuities
- Exotic options
- Real options

Description of the course:

The course focuses on the theoretical foundations of modern derivative pricing. It aims at deriving option pricing models by relying on the main mathematical tools of continuous time finance. A particular focus on jump processes is given. The introduction of possible financial crashes is now essential in some models and a clear understanding of Poisson processes is therefore important. A standard background in stochastic calculus is required.

The last part of the course covers real options. Basic and recent models will be presented. These include the introduction of competition and incomplete information into the real options framework. The use of the Real Options approach in Environmental Finance will also be presented.

Grades: The final grades will be based on a written or oral examination.

Literature:

BOOKS

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Cambridge University press, 2005
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4. DIXIT A. and R. PINDYCK
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Princeton University Press, 1994.

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Dynamic Asset Pricing Theory
Princeton University Press, 2001
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Les Titres Financiers : Equilibre du Marché et Méthodes d’Evaluation
P.U.F., 1995.
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Springer Finance, 2004.
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Options, Futures and Other Derivative Securities
Prentice Hall, 2000.
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10. KARATZAS I. and S. SHREVE
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MIT Press, 1998

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Derivatives : The Theory and Practice of Financial Engineering
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The Journal of Finance, 46:1009-1044, 1991.
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4. BRENNAN, M.J. and E.S. SCHWARTZ,
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The Journal of Business 58,
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Mathematical Finance, 2:87-105, 1992.
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Time-changed Lévy Processes and Option Pricing
Journal of Financial Economics, 17:113-141, 2004.
9. CHESNEY M., and L. GAUTHIER
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Finance and Stochastics , 10:475-506, 2006
10. CHESNEY M., and M. JEANBLANC
Pricing American Currency Options in an Exponential Lévy Model
Applied Mathematical Finance, 11: 207-225, 2004

11. CHESNEY M., M. JEANBLANC and M.YOR
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